

Process for displaying the modulation error ratio of a multicarrier signal

A1)

- The modulation error ration (MER) is an important characteristic value for the OFDM (Orthogonal Frequency Division and Multiplexing)-Multicarrier Systems used in modern transmission technology, for example in DAB 5 (Digital Audio Broadcasting) or DVB-T (Digital Video Broadcasting - Terrestrial), as it indicates the mean and maximum deviation of the amplitude and phase statuses (I and Q values) used in this case from the ideal signal statuses of the digital modulation used and 10 therefore provides a measure for the signal quality. The modulation error ratio is given as mean value and as maximum value. In order to calculate it all decision fields of the modulation vector diagram are examined in succession. In order to determine the maximum value, the 15 maximum sum of the differential vector from the ideal signal status to the signal statuses which have been produced (error vector) is sought in each decision field. In addition to the maximum value of the intermediate results, the maximum value of the 20 modulation error ratio  $MER_{MAX}$  is then calculated in accordance with the equation

$$MER_{MAX} = 100 \cdot \frac{\text{Max}\{| \text{error vector} | \}}{\overline{VM}} \quad [\%]$$

- 25 In this case  $\overline{VM}$  is the square weighted mean value of the amplitude of all ideal signal statuses of a carrier modulated with user data of the modulation type used in each case, which value is known or can be easily calculated for the modulation types used most 30 frequently, such as 16QAM etc., and is used as a constant in the calculation.

All sums of the differential vectors from the ideal status to the status which has been produced are square and added to obtain the mean modulation error ratio and the number of symbols is counted. Subsequently, the mean  
 5 modulation error ratio  $MER_{RMS}$  is calculated in accordance with the equation

$$MER_{RMS} = 100 \cdot \frac{\sqrt{\frac{1}{n} \sum^n |error\ vector|^2}}{VM} \quad [\%]$$

- 10 Both of the values calculated in per cent in accordance with the above equations can also be given in the logarithmic scale in dB in accordance with the following conversion:

$$15 \quad MER_{dB} = -20 \cdot \lg \left( \frac{MER[\%]}{100} \right) \quad [dB].$$

- The term modulation error ratio and the corresponding laws of calculation for it have been established and  
 20 standardised by the DVB Measurement Group in the ETR 290 for DVB-C and DVB-S. Fig. 1 shows by way of example the vectors required to calculate the modulation error ratio in the first quadrants and this is for 64 QAM.
- 25 It is known to calculate the modulation error ratio for a single carrier in each case in accordance with the above formulae and to display it as a numerical value. For multicarrier systems with 1000 or even more individual carriers, as is the case in DAB with 1536  
 30 carriers and in DVB with 1705 or 6817 carriers even, this type of modulation error ratio calculation and individual carriers illustration is no longer useful.

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It is therefore the object of the invention to demonstrate a process with which the modulation error ratio can be calculated simply with the lowest possible degree of calculation complexity and, in addition, can be illustrated in such a way that a simple and clear metrological evaluation is possible for all carriers.

This object is achieved for displaying the mean modulation error ratio in accordance with claim 1 and  
10 for displaying the maximum modulation error ratio in accordance with claim 2, these two possibilities preferably being used in combination, so a user is simultaneously shown the mean and maximum modulation error ratios as a function of the frequency.  
15 Advantageous developments emerge from the remaining sub-claims.

In accordance with the invention the mean or maximum modulation error ratio is calculated by simple successive calculation stages, the result corresponds in this case to the equations mentioned at the start, the successive calculation stages demonstrated in accordance with the invention solve this calculation in a shorter calculation time, however, and in a manner which requires less memory space and can be executed for example on any conventional PC. Owing to the storage of the individual calculated values in memory locations of a memory having as many cells as carriers, the result of the modulation error ratio determination is directly related to the individual carriers and can therefore be directly illustrated on a graph as a function of the frequency for the entire multicarrier frequency band. Therefore, a user can immediately determine at which points of the spectrum critical conditions are present, and therefore a multicarrier system can also be analysed in a simple manner metrologically with regard to modulation error ratios for the first time.

The modulation error ratio of an individual carrier is subject to large statistically-induced fluctuations. It is therefore necessary that, in accordance with the invention, integration is initially carried out via a plurality of symbols of data modulated on the individual carriers. A prerequisite for the process according to the invention is knowledge of the signal constellation of each individual carrier, as is illustrated schematically for 64 QAM in Fig. 1 for a quadrant in the I/Q plane. Initially the square of the error vector of the current individual carrier  $k$  is calculated for each current symbol in accordance with the equation

$$m_k = |\text{error vector}_k|^2$$

As only a single point of the signal constellation is evaluated here for each carrier, the summation in accordance with the general equation mentioned at the start is omitted.

The result  $m_k$  for each individual carrier  $k$  is then compared separately in a second calculation stage with the contents of a memory location reserved specifically for this individual carrier, which memory location is in turn associated with a memory  $A_1$ . In this case, this memory  $A_1$  has as many memory locations  $K_{\text{MAX}} + 1$  as there are carriers in the OFDM system. A check is made in the memory location of the memory  $A_1$  associated with the current carrier  $k$  as to whether the current measured value  $m_k$  is greater than the value already stored in this memory location. If the stored value is greater than the current value the memory location contents remain unchanged. If the current value is greater this is input as a new value into the memory location. In this way the maximum value is stored for each carrier.

At the same time the result of the  $m_k$  of the current modulation error ratio is set off separately for each individual carrier against the contents of a separate memory location of the second memory A2, which also has  
 5 as many memory locations as there are carriers in the OFDM system. Here, the value  $A_{2k}$  hitherto present in the memory location k is set off against the current measured value  $m_k$  in accordance with the following equation:

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$$A_{2k,1+1} = \frac{(A_{2k,1} \cdot 1 + m_k)}{(1 + 1)} \quad (\text{iteration formula})$$

where

15  $A_{2k,1+1}$  is the new measured value (instant 1+1) which is to be stored in memory location k of the memory A2,

20  $A_{2k,1}$  is the previous measured value (instant 1) from memory location k of the memory A2,

$m_k$  is the current measured error square for carrier k,

25 k is the carrier number within the OFDM spectrum, increases with the frequency,  $k = 0 \dots K_{\max}$ ,

1 is the number of the symbol, increases with time,

30  $0 \leq 1$ .

This calculation stage is repeated for all carriers of the symbol. Then, the same process is carried out again for the next symbol for all carriers. Thus a  
 35 representative picture of the mean modulation error ratio

is produced over the course of many symbols in the memory A2 as a function of the frequency or the respective carrier number k. These calculation stages provide exactly the same result as the standardised equation 5 mentioned at the start.

Alternatively the third calculation stage can also be divided in the following manner. Initially an intermediate value is calculated in accordance with the 10 following equation:

$$A2'_{k,1+1} = A2'_{k,1+m_k} \quad (\text{iteration formula})$$

where

15  $A2'_{k,1+1}$  is the new measured value (instant 1+1) which is to be stored in memory location k of the memory A2,

20  $A2'_{k,1}$  is the previous measured value (instant 1) from memory location k of the memory A2,

$m_k$  is the current measured error square for carrier k,

25 k is the carrier number within the OFDM spectrum, increases with the frequency,  $k = 0 \dots K_{\max}$ ,

30 l is the number of the symbol, increases with time,  $0 \leq l$ .

If the memory  $A2'$  is now to be used to illustrate the mean modulation error ratio on the screen, the contents of each individual memory location must be divided by the 35 number of symbols 1+1 detected up to that point, which number is determined in a separate counter. Then, the

final value A2 can again be calculated in accordance with the equation

$$A_{2,k,1} = \frac{A_{2,k,1}}{1+1}$$

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This division allows a faster programme sequence within a digital signal processor.

The actual mean or maximum modulation error ratio can  
10 then be calculated from the values of A1 and A2  
calculated in this way in a subsequent calculation stage  
in accordance with the following equation from the values  
VM known for the type of modulation used in each case:

15  $MER_{MAX,k} = 100 \cdot \frac{\sqrt{A_{1k}}}{VM} \quad [\%]$

$$MER_{RMS,k} = 100 \cdot \frac{\sqrt{A_{2k}}}{VM} \quad [\%]$$

If a display in dB is desired the percentage value can be  
20 converted in accordance with the following equation:

$$MER_{dB} = -20 \cdot \lg \left( \frac{MER [\%]}{100} \right) \quad [dB].$$

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As a result, a minimum value in dB is derived from the maximum value in per cent.

Fig. 2 shows the illustration of the maximum and mean  
30 modulation error ratio in a graph on the screen of a display device. The abscissa is scaled with the numbers of the individual carriers of the OFDM spectrum, between

0 and 6816 for example. The modulation error ratio calculated for each carrier in each case is plotted on the ordinate. The total of 1705 or 6817 carriers present per se in DVB-T could potentially lead to display  
5 resolution problems. Since a conventional LCD has a total of only 320 pixel columns for example, it is advantageous to divide the entire spectrum to be displayed as a whole into individual regions comprising only 320 carriers for example, and to illustrate these in succession or to  
10 combine a plurality of carriers simultaneously in one column of the display.